

# CHALMERS



## LJUNGSKILE 2.4

Expansion and modernization of LJUNGSKILE 2.3

*Master's Thesis in the Master Degree Programme, Nuclear Engineering*

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LJUNGSKILE 2.4 - Expansion and modernization of LJUNGSKILE 2.3  
Development of software intended for uncertainty assessment of chemical speciation calculations  
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## SUMMARY

In this paper the development of a new version of LJUNGSKILE, a program used to calculating chemical speciation. Chemical speciation is a technique used to determine the concentration of different complexes formed in an aqueous system. Among other areas, chemical speciation can be used to analyze how radioactive material would be spread in the ground water in the event of a large scale nuclear accident.

Most tools which are available for calculating chemical speciation does not take statistical uncertainties into account. And as such does not give any information regarding the magnitude of deviation between concentrations in a real sample and the concentrations which are determined in the chemical speciation calculation. The LJUNGSKILE program however is intended for qualitative analysis of the uncertainties in chemical speciation calculation.

More simulation and plotting capabilities has been added to the LJUNGSKILE program adding the option of initiating 2-dimensional simulation setups and display these as 3D-dimensional plots to illustrate how species may vary as a function of both e.g. acidity and ionic strength.

The new features are demonstrated through 3 simulations which illustrate both the possibilities of 2-dimensional simulation setups and how varying the options of a simulation setup can be expected to impact on the end result.



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# 1. INTRODUCTION

This Master's Thesis describes the development of LJUNGSKILE 2.4, which is a program used for chemical speciation. In this report, both the applications for chemical speciation and the development process of the LJUNGSKILE2.4 source code will be covered. The report is written for readers with knowledge in chemistry but without previous programming experience. As such, any previous experience in computer programming or chemical speciation will be beneficial but not required.

## 1.1. BACKGROUND

The properties and transport of metals in nature, whether it is natural deposits or deposits created by men, is largely determined by aquatic systems. As there are plenty of metals that are valuable resources and quite a few that are hazardous, it is important to be able to describe how these metals behave. The description of which species are present in a given solution is called speciation, or chemical speciation.

Speciation is important when aquatic systems, as describing a solution only by determining the concentration on all elements present in the system is rarely sufficient to predict the behavior of the solution. The behavior of dissolved metal is highly dependent on the coordination of metal ions and as such, is very complex.

The application for speciation calculations range between e.g. safety analyses and design processes for mineral extraction. Speciation is for example used to determine the appropriate safety measures needed for long-term storage of nuclear waste disposal. The repository must be designed to prevent the effect of leakage. If a leak in the spent nuclear fuel containment should occur the repository must ensure that the fuel will not dissolve in groundwater and eventually reach sea level until it has decayed sufficiently to be considered harmless. To successfully perform a speciation on spent fuel dissolved in groundwater both the water chemistry and the fuel content must be considered.

The basics of speciation calculations are standard thermodynamic equilibrium calculations, but with each potential species that can be formed the complexity of the calculations is increased. The number of equilibrium reactions that has to be considered in an aqueous is normally too large for the system to be solved manually. Instead, computer programs have been developed to perform the speciation. At the core of these programs is the chemical and physical data of the ions in the solution. These data have to be determined experimentally and thus involve inherent uncertainties that will affect the outcome of the speciation analysis.

## 1.2.LJUNGSKILE

The program LJUNGSKILE 2.3, hereby referred to as LJUNGSKILE, is designed to perform a chemical speciation analysis, as a function of e.g. pH or reduction potential (henceforth abbreviated pE) .

LJUNGSKILE is specialized in presenting its results with standard deviations taken into account, compared to similar tools which typically do not consider statistical uncertainties. While it is always important to be aware of the accuracy of calculations performed, the uncertainty of tabulated equilibrium constants may for example mean that the predominating species in a sample differ from those calculated.

The program is used for this purpose all over the world, among others the Japanese radiation protection agency. The program is made to work as a graphical user interface for PHREEQC (abbreviation for pH-REdox-EQuilibrium, written in C) which is the program that performs the actual speciation calculations based on input code. Being a text based program, PHREEQC requires more time to master than a similar program with a graphical interphase. The data achieved is then assorted and can be presented in plots. Many users have limited computer experience and need a program that is easy to use and does what it's told.

## 1.3.PURPOSE

The main aim of this master thesis project is to expand the calculating and plotting capabilities of LJUNGSKILE to incorporate predominance diagrams. The simulations will be made in two-dimensions instead of one and the data from these simulations will be presented graphically in a comprehensible manner in order to make the program more useful overall.

The introduction of two dimensional simulations is made in order to be able to present results in 3- dimensional plots and predominance diagrams. Both of these presentation types are useful to visualize possible speciation chemistry over an area of varying acidity and electric potential. In the case of leaking nuclear waste deposits the predominance diagram might provide data for potential leakage scenarios and optimal conditions for final repository sites.

The incorporation of predominance diagrams brings a demand for additional plotting capabilities. While three-dimensional plotting is not required for predominance diagrams, the introduction of two-axis variables for speciation will also be used for three dimensional plotting. To ensure that the user experience remains familiar and coherent, the display program will be substituted by an internal component of the LJUNGSKILE program, which will essentially retain the same graphical layout as the previous plotting suite.

## 2. THEORY

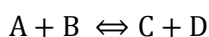
### 2.1. METALS IN AQUEOUS SOLUTION

Surrounded by water, metal ions form complexes with water molecules or ions present in the solution. Metals in aqueous solution typically form complexes with six ligands, albeit some metals have higher and some have lower coordination numbers. What ligands will coordinate around a given metal ion is determined by the chemistry in the vicinity of the metal ion, which in turn is determined through a vast series of thermodynamic equilibrium reactions. As the metal solution chemistry is governed by the equilibrium reactions, the metal complexes formed will vary with the water chemistry of the solution. (Martell, A E. 1952)

#### 2.1.1. CHEMICAL SPECIATION

Chemical speciation describes how an element is distributed among chemical species within a given system. It is a crucial instrument to describe the behavior of e.g. metals forming various complexes in aqueous solution. However, to provide a speciation analysis, analytical chemistry alone will generally not suffice. In many cases the concentration of metals are very low and cannot be measured directly. (Hanrahan, G. 2010)

Instead of trying to measure trace amounts of metals, chemical speciation may be performed analytically. The basic mechanism governing the behavior of metals in aqueous solution can be described with a simple thermodynamic theory. From the reaction



With the equilibrium constant  $K$ , assuming ideal behavior, the concentration of  $D$  is described by

$$\log [D] = \log K - \log [C] + \log [A] + \log [B]$$

However, a reaction formula only describes a single possible reaction, while the concentration of the species described in the reaction may be involved in more reactions dependent yet another set of species. The codependency of species in a solution rapidly creates a complex network of equations that needs to be solved simultaneously.

Computer modeling of chemical speciation is the main way to mitigate the barriers associated with analytical speciation. There are quite a few programs designed to model the chemical speciation available, for example PHREEQC, which is used for the speciation calculations in the LJUNGSKILE program. (Hanrahan, G, 2010)

## 2.2. STATISTICAL CONSIDERATIONS

No matter how advanced the speciation modeling is, the accuracy of the model will always be limited by the accuracy of the equilibrium data provided. The uncertainties of the equilibrium constants stems from the fact that these are achieved through experimental studies. Minimizing the uncertainties of the equilibrium constants will of course minimize errors in the model, but it is impossible to completely avoid errors. The reliability of a speciation calculation will thus be strongly dependent on the interaction between ions in a given solution and the magnitude of the uncertainties of used constants.

Acknowledging the existence statistical errors and measuring their impact on a speciation study will provide information about the reliability of the study, which is of great concern in e.g. the design of final repository for nuclear waste.

## 2.3. MONTE CARLO SIMULATIONS

In Monte Carlo Simulations a large amount of calculations are used to statistically determine a mean value and standard deviation of a function is calculated from an array of random sampling distortion cases of the function's variables.

[When trying to determine a variable  $Y$  that is a function of several variables  $a_1, a_2, \dots, a_k$ , the result is dependent on the values used for the variables of which  $Y$  is a function of. If, for any reason the value of the variable  $a_1, a_2, \dots, a_k$  cannot be determined exactly (e.g. due to uncertainties in measurement of the variables) then the variable  $Y$  cannot be determined exactly either. In such cases, it is important to keep track of the uncertainties, as a large uncertainty in the parameter  $a_i$  might have a minor impact on the calculated value of  $Y$ , while a small uncertainty in another parameter  $a_j$  might have a major impact on the value of  $Y$ .

In some cases it is possible to assess these uncertainties analytically, while in other cases, the sheer number of variables or equations makes analytical solutions impractical, or even impossible. In such cases a commonly used method is Monte Carlo simulations.

In a Monte Carlo simulation the variable  $Y$  is calculated by sampling values from the probability density functions of the variables  $a_1, a_2, \dots, a_k$ . The calculation is performed a large number of times, how many times it is performed is determined by the desired accuracy. More calculations naturally require more computational time, which means a higher cost to perform the calculation. The number of calculations needed to produce satisfactory statistical data for the variance of the variable  $Y$  will depend on the function being evaluated and the accuracy of the variables used in said function.

Higher accuracy is always something that is always desirable, albeit not always time- or cost-effective. The trade-off between accuracy and computer time can be partially bypassed by clever sampling methods.

To perform the Latin hyperbolic sampling method a probability density function for each variable that is sampled has to be determined. The probability density function is a function which returns the probability of a variable to be equal or less to any given value. The Latin hyperbolic sampling method then divides the probability density function of each variable into smaller intervals with equal probability. One sample is drawn from each interval using the probability density function of that interval. The samples of each interval are then randomly combined with samples from all other variables, drawn in the same way. The result is a matrix with  $k$  columns and  $n$  rows, where  $k$  is the number of variables used and  $n$  is the number of samples for each variable. The advantage of this method is that a comparably small number of samplings will yield a high degree of coverage for all variables used, ensuring both that a broad interval of samples is used for each variable and that the overall samplings are not used in a narrow interval.

The following example will illustrate the main differences between normal random sampling and latin hyperbolic sampling. A number of uniform random numbers  $R$  between 0 and 1 are generated for each variable. For normal sampling, the sampled value of the variable is picked using the inverse probability density function. In latin hyperbolic sampling, values are instead picked in equally probable intervals, using the inverse probability density function, this corresponds to:

$$RLHS, j = \frac{R}{n} + \frac{j - 1}{n}$$

Where  $R_{LHS, j}$  is the number generated in a given interval  $j$ ,  $R$  is a uniform random number between 0 and 1  $n$  is the number of samples taken and  $j$  is the current interval.

To account for the uncertainties present in equilibrium data, both normal sampling and Latin hyperbolic sampling are used in the LJUNGSKILE program. In each sampling, the equilibrium constants are varied within an interval given by the sampling method, based on the confidence interval supplied with each constant. The two sample methods used when analyzing the accuracy of speciation calculation are random sampling and Latin hypercube sampling. (Hernández.solís, A. 2007)

### 2.3.1. *RANDOM SAMPLING*

A straightforward way to account for the uncertainties of equilibrium constants is to run Monte Carlo Simulations (MCS) without any specialized sampling method. With random sampling all used equilibrium constants are simply varied within a normal distribution. The output collected from these simulations is then used as statistical data to determine mean values and standard deviation of each species at the specified aqueous conditions.

### 2.3.2. *LATIN HYPERCUBE SAMPLING*

Where random sampling utilizes brute force to determine the uncertainties through sheer number of simulations, the Latin Hypercube sampling (LHC) divides the distribution into several equally probable intervals. The data is then picked from each of these intervals to ensure that the sampling is representative for the solution. The divided intervals and hence the representative ensure that reliable statistical data is provided with a minimum of calculations.

### 2.3.3. *CHOOSING SAMPLING METHOD*

LHC provides rapid results and it can often prove to be a valuable tool for quickly assessing uncertainties associated with chemical speciation. The efficiency of the LHC depends on the fact that the LHC assumes no dependency between the variables used, which is rarely the case in chemical speciation. It should however be emphasized that the errors induced by the assumption that no dependency between variables exists in many cases are negligible compared to the accuracy of the equilibrium data provided

Random sampling however excels in the areas where LHC lacks; basically the only assumption made is that the statistics of a series of simulation with normal distributed variations is sufficient to describe the uncertainty of the whole system.

As both methods have its inherent strengths and weaknesses, both options are available as options in the LJUNGSKILE program.

## 3. DEVELOPMENT METHOD

### 3.1. DEVELOPMENT TOOLS

Overall, very basic tools were chosen to be utilized in the development process. Care was also taken to find older alternatives to the programs needed, to ensure that the program will be executable even on older computers.

For writing source code in C++ and compilation of the main program, Borland builder 6 was used. Builder 6 is developed for Windows XP service pack 1, which was released in 2001. This means that the program should be compatible with most computers which are presently in use.

For code review and editing e. g. data files and plotting instructions notepad++ was used.

Finally, for plotting the data, GNUPLOT 4.0 was used. GNUPLOT 4.0 was released in 2004.

### 3.2. PRELIMINARY STUDY

To provide input to the planning of the master's thesis and the project planning report, a preliminary study was carried out. The source code for LJUNGSKILE was studied and prepared for the project. Besides from providing vital input for the construction of the project's time plan, the aim of the preliminary study was to allow variation of and additional variable, going from one to two variables (e.g. pH and pE in predominance diagrams).

The preliminary study was initiated by creating a new graphical user interface for MULTIRUN and adapting the source code to be compatible with LJUNGSKILE. The MULTIRUN is a subprogram that is responsible for the setup of the interval and step size of the variable that is used for the calculations. The focus of the graphical design was to use the same functions and structure as MULTIRUN had before the update but to make the design slightly more compact to limit the window size as it had to incorporate support for two variables instead of one. The re-writing of the source code was focused on avoiding deviations from the original code when possible to limit the time needed to perform the preliminary study.

Unexpected problems relating to lack of independency between different subprograms led to the decision to evaluate the preliminary study before a fully functional alpha version of the program could be presented.

#### 3.2.1. *INSIGHTS OF THE PRELIMINARY STUDY*

The general conclusions of the preliminary study was that creating the graphical user interface would not contribute to a significant part of the time needed for the project, even though some modernization of the design of the applications will have to be performed.

In the project's time schedule, the functional source code programming is expected to require less time than expected before the preliminary study, due to the structure of the LJUNGSKILE-PHREEQC interface being more general than the documentation of PHREEQC suggests. The fact that the present source code does not utilize the full potential of PHREEQC might result in unnecessary long computational time, however this was not found to be a major issue, and updating the interface between LJUNGSKILE and PHREEQC was not found to be necessary.

As for the code structure, the previous version of LJUNGSKILE needed to be reworked thoroughly. As the author of the original source code is not involved in the project, the structure of the updated parts of the code will differ from those parts that do not need to be updated if a complete revision would not be performed. This could potentially cause accumulating readability issues resulting in making debugging and future updates of the program extremely time consuming.

### 3.3.IMPLEMENTATION

The project is mainly aligned to programming, which results in difficulties in continuous evaluation of the project progression. To evaluate the progress, each subprogram involved is programmed in four steps, analysis, coding, (in some cases adaptation) and compilation. The order in which the subprograms are updated is determined by the level of relation to previous steps, starting with MULTIRUN which is included in the pre-study.

During the analysis stage the code of the sub-program is translated into pseudo code to provide a good overview of the subprogram functionality. The idea of the pseudo code was to describe the program in layman's terms with some basic logical functions still left more or less unaltered, without any actual functionality. Based on the pseudo code, the features to be altered, added or removed in the coding stage are identified.

The coding stage involves the actual work with coding as well as the graphical design of each subprogram.

The adaptation stage is only performed in the plotting sub-program. It involves backtracking into previously written code to make sure the program features perform as desired.

The last stage of the sub-programming is the compilation stage, where errors in each sub-program are identified and corrected, in some cases leading to additional need of coding and program adaption.

Once the functional coding stages are finished, the code readability is enhanced. Deactivated features will be removed and explanatory comments added for all functions that are not sufficiently comprehensible. The visual program shell is also slightly updated to give LJUNSKILE a more finished look.

## 4. PROGRAM DESCRIPTION

### 4.1. INTRODUCTION TO THE PROGRAM

LJUNGSKILE consists of three main parts. The main parts are Chemical calculations, statistical method and visual presentation.

While the actual calculations are performed in PHREEQC, the LJUNGSKILE provides a graphical user interface to perform multiple simulations automatically and without having to learn the PHREEQC code language. The statistical method varies the equilibrium constants within a normal distribution using either MCS or LHC, depending on the user's preference. The equilibrium constants and deviations are provided by the user, with the option of using predefined equilibrium libraries. Merged with the chemical calculations, these parts are responsible for the calculations performed in the LJUNGSKILE program. Finally, the visual presentation performs all the post-processing of data and a range of options for visualization through diagrams presented in GNUPLLOT.

### 4.2. PROGRAM STRUCTURE

The LJUNGSKILE program consists of several dialog windows. These windows include separate source codes, and each window is responsible for a specified set of functions within the LJUNGSKILE program. This specified set of functions will hereby be referred to as subprograms. Though the subprograms do not necessarily have to be included into a window, the windows and the functions that they are associated with will be regarded as a single unity for the sake of clarity.

The table on the next page is a quick reference for the program structure, the subprograms and their general functions. Along with LJUNGSKILE, the PHREEQC is used for calculations and *GNUPLLOT* for plotting.

*Table 1. Subprogram structure of LJUNGSKILE*

<i>Subprogram</i>	<i>function</i>
LJUNGSKILE	This is the main program, which lists the source codes to be included in LJUNGSKILE.
Init	Main window, responsible for loading projects and initiating simulation calculation
Project description	Options for project parameters
Method description	Options for sample method (Latin hypercube or Monte Carlo)
Water description	Options for water chemistry parameters
Simulation start	Responsible for interaction between LJUNGSKILE and PREEQC. Dialog window is not displayed
Graph	Responsible for compiling PHREEQC output data for the plotting programs. Dialog window is not displayed
Version	Displays current version of the LJUNGSKILE program
Multiple runs	Options for running multiple simulations, including options for number of variables to be used
LJUNGSKILE internal display program (LiDP)	Visual shell for initiation of graphs using GNUPLOT for 3D and surface plotting.
Variables	Sub menu in LiDP with options for regular 2D plotting in the LiDP

### 4.3.IMPLEMENTED CHANGES

The LJUNGSKILE program have been reworked to support two-dimensional variation of selected variables and to display the results using *GNUPLOT* instead of the previously used *LJUNGSKILE display program* (henceforth *LDP*). To ensure program stability and avoid unintentional changes in the code that leads to bugs and calculation errors in the final program, care has been taken to avoid altering iteration instructions and communication with *PHREEQC* where possible.

Overall, the appearance of the program remains the same, including the graphical user interface used for *GNUPLOT*, which mimics the design of the previous *LDP*. New dialog windows are designed to resemble older windows and the raw data is stored in the same way as before.

#### 4.3.1. *LJUNGSKILE*

Changes include defining additional variables to store and distribute instructions for simulating with two variables and also defining functions and variables used in the internal display program (LiDP).

#### 4.3.2. *INIT*

The instructions for initiating *LDP* have been rerouted to initiate LiDP; also, the extra variables needed for instruction of dual variables for the *multiple runs* subprogram have been added in the *init* program to allow access in other parts of the program, such as simulation and graphing routines.

#### 4.3.3. *PROJECT, METHOD AND WATER DESCRIPTION*

No changes have been implemented in the *Project description*, *Method description* or *Water description* subprogram. The function files were clear enough to be easily interpreted and no additional comments in the code where necessary.

#### 4.3.4. *SIMULATION START*

The previous code was written to vary a single variable in a preset interval; these instructions have been expanded to incorporate the option of using two variables and this is the area where the upgrade of the code impacts the simulation routines of *PHREEQC*.

#### 4.3.5. *GRAPH*

The data files produced by *PHREEQC* have been programmed to be compiled to matrices and initial plot instructions have been implemented to instruct *GNUPLOT*'s start-up routines.

#### 4.3.6. *LJUNGSKILE DISPLAY PROGRAM (LDP AND LiDP)*

The whole plotting tool has been rewritten, the main reason being that the previous tool was not supplied with source code. The LiDP performs the calculations needed to supply matrices with appropriate margins of error as *GNUPLOT* does not support mathematical operations when handling data. The LiDP also provides a visual shell for performing instruction manipulation of the *GNUPLOT* program.

Care has been taken to write the LiDP in such a way that advanced users can choose to rewrite or replace the plotting instructions for *GNUPLOT* according to their needs. The measurements taken to allow this include an editable template file with basic instructions for *GNUPLOT*, which forms the basis of all *GNUPLOT* instructions and self-explanatory nomenclature on data files created.

#### 4.3.7. *MULTIPLE RUNS*

As described in the preliminary study included in the development method description the multi run instructions have been expanded to include a second variable. This also included minor updates in various subprograms (e.g. Init and Simulation Start). To support the inclusion of second variable, additional safety barriers were added. The barriers were made to prevent conflicting instructions associated with choosing the same variable for both axes of the predominance diagram.

## 5. SIMULATION

The introduction of 2-dimensional matrices in LJUNGSKILE was successful, and while 3-dimensional plotting is now supported, pure predominance diagrams could not be displayed using GNUPLOT. In order to demonstrate the new features of LJUNGSKILE a monte carlo simulation of an iron complex was run. As compability could potentially be an issue when switching to a newer version of a code package, the data files used for this simulation was from an older version of the LJUNGSKILE program.

While a few minor tweaks are required to execute the simulation using the data file, in this case only updating LJUNGSKILE version info in the simulation instruction files (see appendix I) the new program is considered to be compatible with older data files.

As the LJUNGSKILE program will terminate if an error occurs in the input variables to the simulation in PREEQC, a stable interval for the simulation was determined using very low resolution and only ten samplings per node. This results in a fairly rapid simulation that gives an idea of how the distribution between species will be at every node, but not enough data for a good statistical analysis.

When the low resolution simulation has been successfully executed, the resolution of samplings is increased to yield a more detailed distribution matrix with higher accuracy.

The low resolution simulation takes approximately 20 minutes on a modern standard computer (the one used in these tests where produced in 2012 with windows 7 as opperating system) while the high resolution calculation can run for more than a day on the same system, hence the need for low resolution simulations to ensure successful execution of the high resolution simulation.

As the 3-dimensional are harder to read than 2-dimensional plots, the plotting program incorporates the possibility to get the cordinates for a desired points in the matrix from an overhead view, and input the cordinates in order to display 1- and 2-dimensional plots of the desired cordinates. It is of course still possible to get the exact values of a given node by reading the data files generated in the simulation, but as the purpouse of the LJUNGSKILE code is to present qualitative and not quantitative uncertainty analysis, this fubction has not been introduced into the program suite.

The first simulation was performed between pH 0 and 6 and pE -2 and 4, both at a step size of 2. Each node in the matrix was simulated 50 times using the Latin hypercube method. The purpose of this simulation was to analyze if the range for pH and pE which was to be used in the following simulations would be executable, as the PHREEQC is prone to failure at simulation conditions outside a stable interval.

The second simulation was performed at the same range (pH 0 to 6 and pE -2 to 4) but the step size was decreased to 0.2, yielding a hundred times finer mesh. However, the number of simulations per node was decreased to 20. This simulation was performed partly to ensure that all points in the mesh would be stable for the last simulation, and partly to illustrate the impact of varying the number of runs for each point on uncertainties and accuracy.

The third simulation where performed on the same range and step-size as the second simulation (pH 0 to 6 and pE -2 to 4, step-size 0.2) but with 50 simulations per node in the matrices. The simulation time was considered to be reasonable bearing in mind the risk of the program terminating due to errors or convergence problems in the PREEQC program. Increasing the nodes significantly also reduces the performance of GNUPLOT.

*Table 2. The setup for simulation 1-3, including pH, pe, simulation resolution and number of simulations per node.*

	pH	pe	Resolution	simulations per node
Simulation 1	0 to 6	-2 to 4	2	50
Simulation 2	0 to 6	-2 to 4	0.2	20
Simulation 3	0 to 6	-2 to 4	0.2	50

## 6. RESULTS

All three simulation setups described in the simulation section were run successfully. The first simulation, with a total of 16 nodes (see figure 6-1 and 6-2 below), indicates that there are four larger areas where which species are predominating are fairly certain. While the standard deviations are very large due to the small number of samplings, the overall trends are the same as in the second and third simulation.

Except for small deviations, the second and third simulation yield the same mean values for each species in each node.

All three simulations were found to be fairly similar and with a few exceptions the predominating species were the same. Naturally, the lower resolution of the first simulation results in discrepancies as the plotting program interpolates between the nodes, but comparing the nodes of the first simulation with the same nodes in simulation three it can be seen that they yield roughly the same results.

## 6.1.COARSE MESH

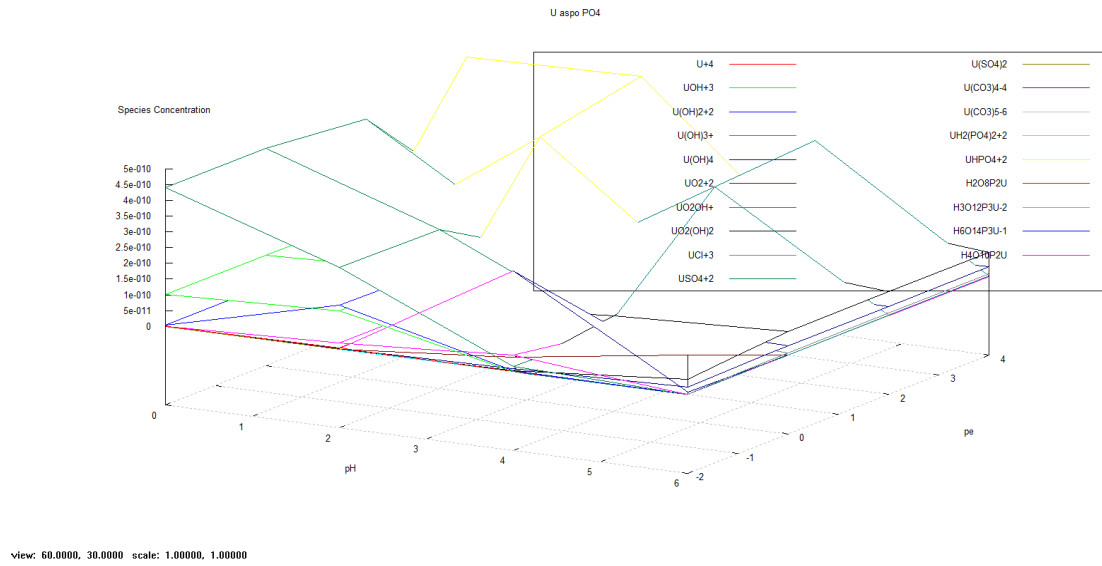


Figure 6-1. 3-dimensional plot of the coarse mesh simulation.

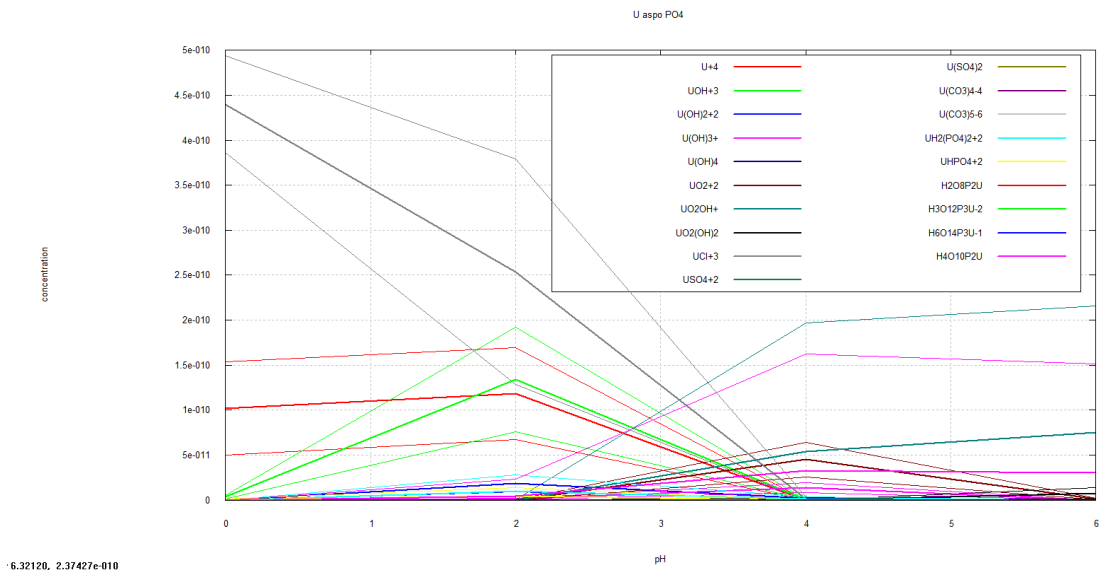


Figure 6-2. 2-dimensional plot of the coarse mesh at  $pe=0$ . Thin lines represent the 95%-certainty interval for the species of corresponding colours.

## 6.2.FINE MESH, LOW RUN COUNT

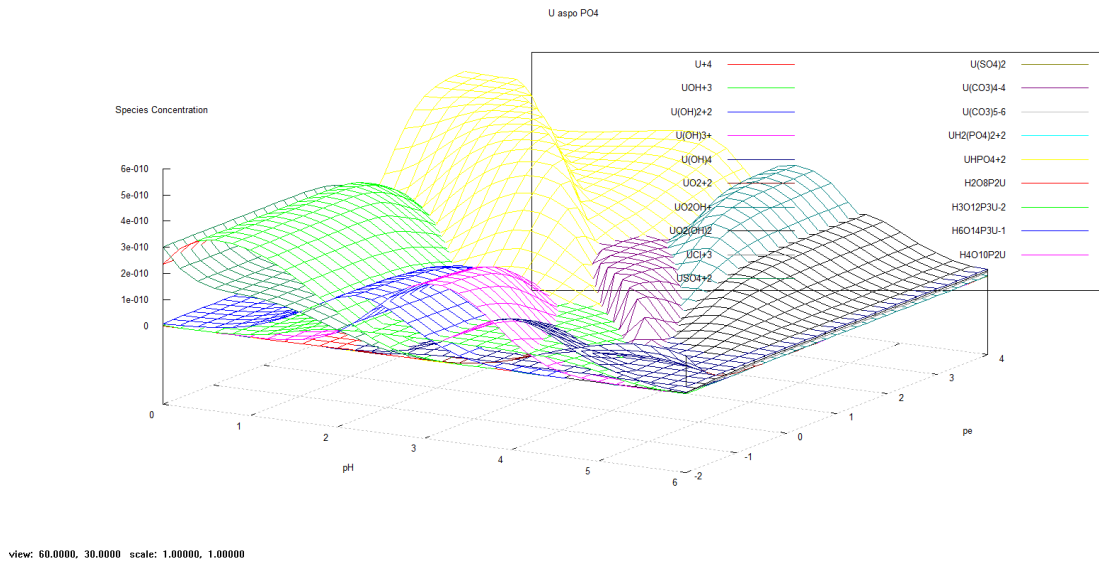


Figure 6-3. 3-dimensional plot of the fine mesh simulation with a low run count.

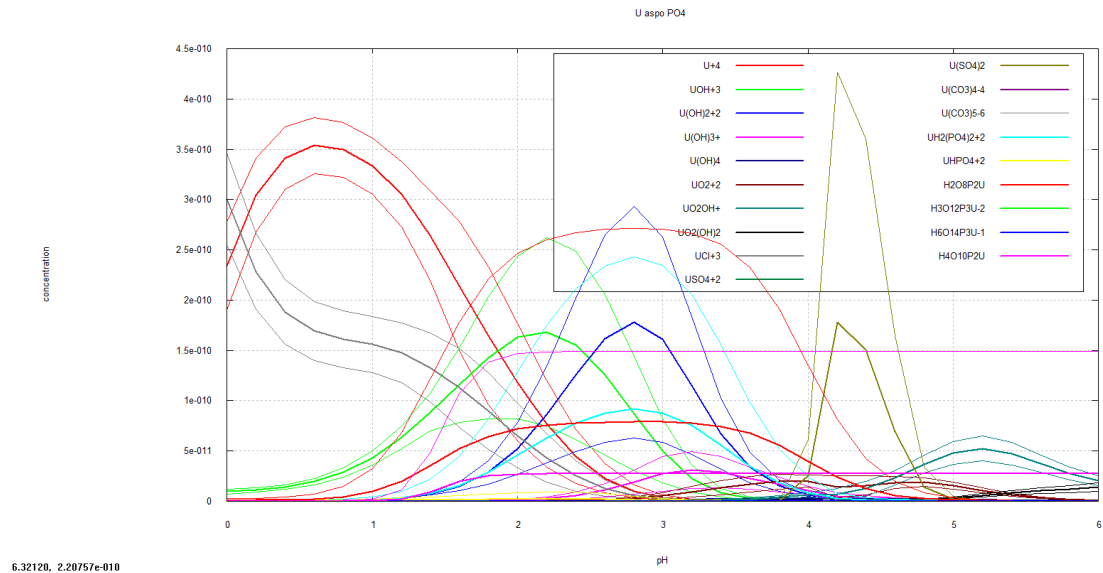


Figure 6-4. Figure 6-5. 2-dimensional plot of the fine mesh simulation with a low run count at  $pe=0$ . Thin lines represent the 95%-certainty interval for the species of corresponding colours.

### 6.3. FINE MESH, HIGH RUN COUNT

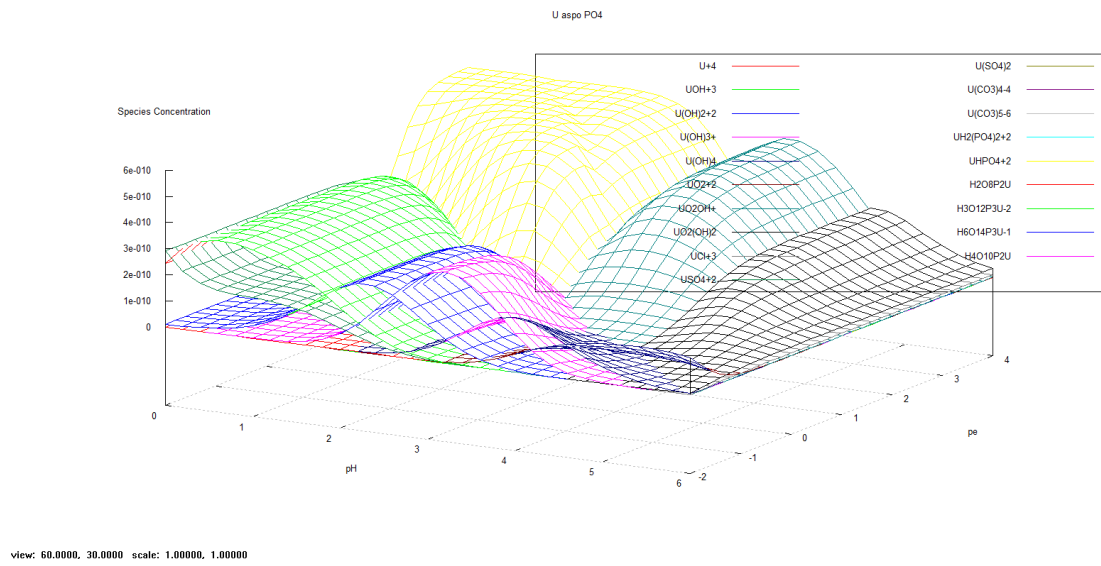


Figure 6-5. 3-dimensional plot of the fine mesh simulation with a high run count.

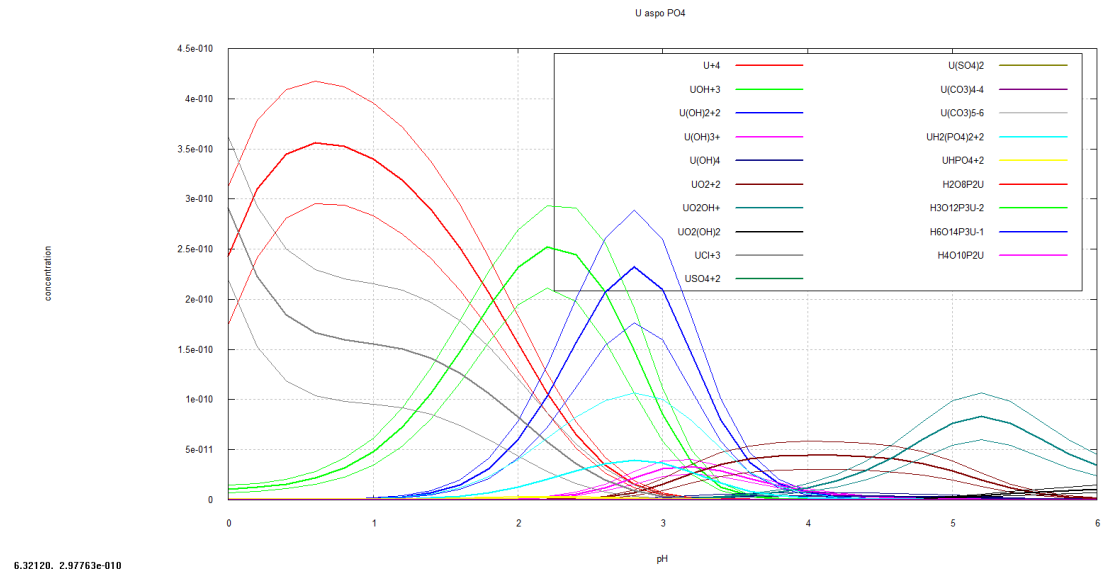


Figure 6-6. 2-dimensional plot of the fine mesh simulation with a high run count at  $pe=0$ . Thin lines represent the 95%-certainty interval for the species of corresponding colours.

## 7. CONCLUSIONS

The implementation of 2-dimensional simulations and 3-dimensional presentation of the simulated data was successful. The limitations of GNUPLOT meant that the predominance diagrams merely is a 2-dimensional projection of the 3-dimensional plotting area and not an actual level map. However, as the predominating specie will be the only specie which is visible, one could argue that the basic functions and applications of these projections means that they are in fact predominance diagrams, albeit not presented as a level map.

The addition of predominance diagrams means that it is easier to identify areas of large uncertainty and probable optimum regions for formation of species. This can be used to assess the uncertainties in the calculated behavior of final repositories for nuclear waste. While the search for optimum conditions for formation of a certain specie would benefit from adding additional dimensions to the simulations, there are limited ways of presenting data in an accurate and comprehensible manner when 3-dimensional projections does not suffice. While limitations in the original code restricts the resolution of the simulation, the lack of hardware acceleration in GNUPLOT means that higher resolution would not be practical to plot anyway. This is, as stated in chapter 2, a deliberate decision to ensure compatibility with older computers.

While the success in creating predominance diagrams was limited, the program is now a more powerful tool for assessing how variations in water chemistry impact the abundances of the examined species in a solution and demonstrates the how false conclusions might be drawn from modelling water chemistry if statistical errors are not properly accounted for.

The second one of the simulations presented requires some additional comments. It had the same basic shape as the other simulations, but some species that where expected to be almost non-existent in the other simulations where at some points predominating. As the graphs where all smooth, this behavior cannot be fully explained by that the lower number of simulations in a given point would yield more inaccurate results. However, LJUNGSKILE provides PHREEQC with initial guesses for each species in a node based on the values of the previous nodes in the same row. This would mean that a small error could propagate through the matrix. The first explanation is supported by an increased uncertainty that can be observed in the areas where the second simulation deviates from the other simulation, while the second explanation is supported by the fact that the deviations seems to increase as the pH value increases.

Conclusively, the number of simulations per node has a large impact on the final results.

## 8. REFERENCES

Hanrahan, G. (2010) Modelling of Pollutants in Complex Environmental Systems Volume II. Glendale, AZ: OLM Publications.

Hernández.solí, A. (2007) Uncertainty and sensitivity analysis applied to LWR neutronic and thermal-hydraulic calculations. Göteborg: Chalmers University of technology. (Thesis for the degree of doctor of philosophy department of chemical and biological engineering, division of nuclear chemistry).

Martell, A E. (1952) the behavior of metal complexes in aqueous solutions. Journal of chemical education, 29 (6), p 270

## APPENDIX I. SIMULATION FILES

Table 3. Project file used for the last simulation described in chapter 5 and 6.

Current .PRJ file [U aspo PO4.prj]
LJUNGSKILE ProjectFile version 2.0 Begin Project Solid Phase  Solid Phase Amount 0 CO2(g) N CO2(g)partial pressure 0 No Species 19 Species ( 'name' 'mean' 'SD or max value' 'distribution' U+4 -14.9 0.1 Master UOH+3 -0.6 0.2 Normal U(OH)2+2 -2.5 0.2 Normal U(OH)3+ -5.5 0.2 Normal U(OH)4 -10 0.2 Normal UO2+2 -9.1 0.2 Normal UO2OH+ -14.9 0.2 Normal UO2(OH)2 -21 0.2 Normal UCl+3 1.72 0.5 Normal USO4+2 6.58 1 Normal U(SO4)2 10.5 1 Normal U(CO3)4-4 32.9 1 Normal U(CO3)5-6 34 1 Normal UH2(PO4)2+2 47.105999 1 Normal UHP04+2 24.4 1 Normal H2O8P2U 46.689999 1 Normal H3O12P3U-2 67.739998 1 Normal H6O14P3U-1 56.68 1 Normal H4O10P2U 35.43 1 Normal End Project Begin Water Description Äspö groundwater pH 5 pe -4.37 Temperature 15 No elements 19 Elements ( 'name' 'concentration' ) Ca 0.0472 Mg 0.00173 Na 0.0913 K 0.000207 Fe 4.37E-6 Mn 5.28E-6 Al 1E-6

```

Cl 0.181
C 0.000164
S 0.00583
F 7.9E-5
Br 0.000501
P 1.61E-7
Si 0.000146
U 5.45E-10
Sr 0.000399
Li 0.000144
N 3.52E-6
Th 1E-7
End Water
Begin Sampling Method
Seed
-1
Method ( 'nr' 'name' )
1 Latin
Method parameters
50
1000
End Sampling Method
Begin Multiple runs
Multirun
Y
Species
pH
Start
0
Stop
6
Interval length
0.2
Logarithmic scale
N
End Multiple runs
End Project

```

*Table 4. Data file used for all three simulation described in chapter 5 and 6.*

```

# This is a PHREEQC database file converted from
# PHREEQE format with PHCBC, PHreeqe to preeqeC (data)Base Converter
#
SOLUTION_MASTER_SPECIES
#
#element species          alk      element_gfw
#
H      H+      0.000000      H      1.007970
H(1)   H+      -1.   0.0
E      e-      0.000000      0.0    0.000000
O      H2O     0.000000      O      15.999400
O(-2)  H2O     0.0   0.0
Ca      Ca+2   0.000000      Ca     40.080002
Mg      Mg+2   0.000000      Mg     24.305000
Na      Na+    0.000000      Na     22.989799
K       K+     0.000000      K      39.098301
Fe      Fe+2   0.000000      Fe     55.847000

```

Mn	Mn+2	0.000000	Mn	54.938000
Al	Al+3	0.000000	Al	26.981501
Ba	Ba+2	0.000000	Ba	137.330002
Sr	Sr+2	0.000000	Sr	87.620003
Si	H4SiO4	0.000000	Si	60.084301
Cl	Cl-	0.000000	Cl	35.452999
C	CO3-2	2.000000	C	44.009800
S	SO4-2	0.000000	S	96.059998
N	NO3-	0.000000	N	62.004902
B	H3BO3	0.000000	B	10.810000
P	PO4-3	2.000000	P	94.971397
F	F-	0.000000	F	18.998400
Li	Li+	0.000000	Li	6.941000
Br	Br-	0.000000	Br	79.903999
U	U+4	0.000000	U	238.000000
Np	Np+4	0.000000	Np	239.000000
Cs	Cs+	0.000000	Cs	132.910004
Cx	Cx+2	0.000000	Cx	58.930000
Pu	Pu+4	0.000000	Pu	239.052200
Th	Th+4	0.000000	Th	232.038100
Im	Im	0.000000	Im	40.000000
Rx	Rx	0.000000	Rx	30.000000
Ip	Ip	0.000000	Ip	40.000000
#				
SOLUTION_SPECIES				
#				
#1 H+				
H+ = H+				
	logk	0.000000		
	delta_h	0.000000	kcal	
#2 e-				
e- = e-				
	logk	0.000000		
	delta_h	0.000000	kcal	
#3 H2O				
H2O = H2O				
	logk	0.000000		
	delta_h	0.000000	kcal	
#4 Ca+2				
Ca+2 = Ca+2				
	logk	0.000000		
	delta_h	0.000000	kcal	
	-gamma	5.000000	0.165000	
#5 Mg+2				
Mg+2 = Mg+2				
	logk	0.000000		
	delta_h	0.000000	kcal	
	-gamma	5.500000	0.200000	
#6 Na+				
Na+ = Na+				
	logk	0.000000		
	delta_h	0.000000	kcal	
	-gamma	4.000000	0.075000	
#7 K+				

K+ = K+  
logk 0.000000  
delta\_h 0.000000 kcal  
-gamma 3.500000 0.015000

#8 Fe+2  
Fe+2 = Fe+2  
logk 0.000000  
delta\_h 0.000000 kcal

#9 Mn+2  
Mn+2 = Mn+2  
logk 0.000000  
delta\_h 0.000000 kcal

#10 Al+3  
Al+3 = Al+3  
logk 0.000000  
delta\_h 0.000000 kcal

#11 Ba+2  
Ba+2 = Ba+2  
logk 0.000000  
delta\_h 0.000000 kcal

#12 Sr+2  
Sr+2 = Sr+2  
logk 0.000000  
delta\_h 0.000000 kcal

#13 H4SiO4  
H4SiO4 = H4SiO4  
logk 0.000000  
delta\_h 0.000000 kcal

#14 Cl-  
Cl- = Cl-  
logk 0.000000  
delta\_h 0.000000 kcal  
-gamma 3.500000 0.015000

#15 CO3-2  
CO3-2 = CO3-2  
logk 0.000000  
delta\_h 0.000000 kcal  
-gamma 5.400000 0.000000

#16 SO4-2  
SO4-2 = SO4-2  
logk 0.000000  
delta\_h 0.000000 kcal  
-gamma 5.000000 -0.040000

#17 NO3-  
NO3- = NO3-  
logk 0.000000  
delta\_h 0.000000 kcal

#18 H3BO3  
H3BO3 = H3BO3

	logk	0.000000	
	delta_h	0.000000	kcal
#19 PO4-3			
PO4-3 = PO4-3			
	logk	0.000000	
	delta_h	0.000000	kcal
#20 F-			
F- = F-			
	logk	0.000000	
	delta_h	0.000000	kcal
#21 Li+			
Li+ = Li+			
	logk	0.000000	
	delta_h	0.000000	kcal
#22 Br-			
Br- = Br-			
	logk	0.000000	
	delta_h	0.000000	kcal
#23 U+4			
U+4 = U+4			
	logk	0.000000	
	delta_h	0.000000	kcal
#24 Np+4			
Np+4 = Np+4			
	logk	0.000000	
	delta_h	0.000000	kcal
#25 Cs+			
Cs+ = Cs+			
	logk	0.000000	
	delta_h	0.000000	kcal
#26 Cx+2			
Cx+2 = Cx+2			
	logk	0.000000	
	delta_h	0.000000	kcal
#27 Pu+4			
Pu+4 = Pu+4			
	logk	0.000000	
	delta_h	0.000000	kcal
#28 Th+4			
Th+4 = Th+4			
	logk	0.000000	
	delta_h	0.000000	kcal
#29 Rx			
Rx = Rx			
	logk	0.000000	
	delta_h	0.000000	kcal
#29 Im			
Im = Im			

	logk	0.000000		
	delta_h	0.000000	kcal	
#30 Ip				
Ip = Ip				
	logk	0.000000		
	delta_h	0.000000	kcal	
C03-2 = C03-2				
	log_k	0.000		
	-gamma	5.4000	0.0000	
#31 OH-				
H2O = OH- + H+				
	logk	-13.998000		
	delta_h	13.345000	kcal	
#32 O2_aq				
2 H2O = O2 + 4 H+ + 4 e-				
	logk	-86.080002		
	delta_h	134.789993	kcal	
#33 H2_aq				
2 e- + 2 H+ = H2				
	logk	-3.150000		
	delta_h	-1.759000	kcal	
#34 HCO3-				
C03-2 + H+ = HCO3-				
	logk	10.330000		
	delta_h	-3.604000	kcal	
	-gamma	5.400000	0.000000	
	-a_e	-6.498000	0.023790	2902.389893
#35 H2CO3				
C03-2 + 2 H+ = O2C + H2O				
	logk	16.681000		
	delta_h	-5.847000	kcal	
	-a_e	-21.341499	0.056576	6307.100098
#36 CH4				
C03-2 + 8 e- + 10 H+ = CH4 + 3 H2O				
	logk	41.070999		
	delta_h	-61.039001	kcal	
#37 UOH+3				
U+4 + H2O = UOH+3 + H+				
	logk	-0.600000		
	delta_h	11.810000	kcal	
#38 U(OH)2+2				
U+4 + 2 H2O = U(OH)2+2 + 2 H+				
	logk	-2.500000		
	delta_h	17.780001	kcal	
#39 U(OH)3+				
U+4 + 3 H2O = U(OH)3+ + 3 H+				
	logk	-5.500000		
	delta_h	22.639999	kcal	

```

#40 HSO4-
SO4-2 + H+ = HSO4-
    logk    1.987000
    delta_h  4.910000      kcal
    -a_e     -5.350500      0.018341      557.246094

#41 S-2
SO4-2 + 8 e- + 8 H+ = S-2 + 4 H2O
    logk    20.735001
    delta_h -28.040001      kcal

#42 HS-
SO4-2 + 8 e- + 9 H+ = HS- + 4 H2O
    logk    33.652000
    delta_h -40.139999      kcal

#43 H2S
SO4-2 + 8 e- + 10 H+ = H2S + 4 H2O
    logk    40.644001
    delta_h -65.440002      kcal

#44 U(OH)4
U+4 + 4 H2O = U(OH)4 + 4 H+
    logk    -10.000000
    delta_h  24.770000      kcal

# do not exist
#45 U(OH)5-
# U+4 + 5 H2O = U(OH)5- + 5 H+
#    logk    -19.000000
#    delta_h  27.580000      kcal

#46 U2OH2+6
2 U+4 + 2 H2O = H2O2U2+6 + 2 H+
    logk    -1.000000
    delta_h  0.000000      kcal

#47 UCO35-6
U+4 + 5 CO3-2 = O15C5U-6
    logk    36.500000
    delta_h  0.000000      kcal

#48 NO2-
NO3- + 2 e- + 2 H+ = NO2- + H2O
    logk    28.570000
    delta_h -43.759998      kcal

#49 N2
2 NO3- + 10 e- + 12 H+ = N2 + 6 H2O
    logk    207.080002
    delta_h -312.130005      kcal

#50 NH3
NO3- + 8 e- + 9 H+ = NH3 + 3 H2O
    logk    109.830002
    delta_h -174.580002      kcal

#51 NH4+
NO3- + 8 e- + 10 H+ = NH4+ + 3 H2O
    logk    119.077003

```

delta_h	-187.054993	kcal
#52 NH4SO4-		
NO3- + SO4-2 + 8 e- + 10 H+ = NH4SO4- + 3 H2O		
logk	120.190002	
delta_h	-187.054993	kcal
#53 UOH3CO3-		
U+4 + CO3-2 + 3 H2O = U(OH)3CO3- + 3 H+		
logk	0.000000	
delta_h	0.000000	kcal
#54 UO2OH		
U+4 + 3 H2O = UO2OH + 5 H+ + e-		
logk	-17.799999	
delta_h	31.600000	kcal
#55 UO2CO3-		
U+4 + CO3-2 + 2 H2O = UO2CO3- + 4 H+ + e-		
logk	-2.800000	
delta_h	28.840000	kcal
#56 UO2CO32-3		
U+4 + 2 CO3-2 + 2 H2O = UO2(CO3)2-3 + 4 H+ + e-		
logk	2.200000	
delta_h	31.600000	kcal
#57 H2BO3-		
H3BO3 = H2BO3- + H+		
logk	-9.240000	
delta_h	3.224000	kcal
#58 BFOH3-		
F- + H3BO3 = BF(OH)3-		
logk	-0.400000	
delta_h	1.850000	kcal
#59 BF2OH2-		
2 F- + H3BO3 + H+ = BF2(OH)2- + H2O		
logk	7.628000	
delta_h	1.635000	kcal
#60 BF3OH-		
3 F- + H3BO3 + 2 H+ = BF3OH- + 2 H2O		
logk	13.666000	
delta_h	-1.580000	kcal
#61 BF4-		
4 F- + H3BO3 + 3 H+ = BF4- + 3 H2O		
logk	20.274000	
delta_h	-1.795000	kcal
#62 UO2CO33-5		
U+4 + 3 CO3-2 + 2 H2O = UO2(CO3)3-5 + 4 H+ + e-		
logk	7.500000	
delta_h	31.600000	kcal
#63 UO2+		
U+4 + 2 H2O = UO2+ + 4 H+ + e-		
logk	-7.800000	

delta_h	31.600000	kcal
#64 UO2+2		
U+4 + 2 H2O = UO2+2 + 4 H+ + 2 e-		
logk	-9.100000	
delta_h	34.480000	kcal
#65 HPO4-2		
PO4-3 + H+ = HPO4-2		
logk	12.346000	
delta_h	-3.530000	kcal
#66 H2PO4-		
PO4-3 + 2 H+ = H2PO4-		
logk	19.552999	
delta_h	-4.520000	kcal
#67 UO2OH+		
U+4 + 3 H2O = UO2OH+ + 5 H+ + 2 e-		
logk	-14.900000	
delta_h	-23.520000	kcal
#68 UO2OH2		
U+4 + 4 H2O = UO2(OH)2 + 6 H+ + 2 e-		
logk	-21.000000	
delta_h	-17.049999	kcal
#69 HF		
F- + H+ = HF		
logk	3.169000	
delta_h	3.460000	kcal
#70 HF2-		
2 F- + H+ = HF2-		
logk	3.749000	
delta_h	4.550000	kcal
#71 UO2OH3-		
U+4 + 5 H2O = UO2(OH)3- + 7 H+ + 2 e-		
logk	-30.100000	
delta_h	-34.480000	kcal
#72 UO22OH2+2		
2 U+4 + 6 H2O = (UO2)2(OH)2+2 + 10 H+ + 4 e-		
logk	-23.799999	
delta_h	-24.389999	kcal
#73 UO23OH5+		
3 U+4 + 11 H2O = H5O11U3+1 + 17 H+ + 6 e-		
logk	-42.900002	
delta_h	-9.860000	kcal
#74 UO2HPO4		
U+4 + PO4-3 + 2 H2O = UO2HPO4 + 3 H+ + 2 e-		
logk	11.640000	
delta_h	0.000000	kcal
#75 CaOH+		
Ca+2 + H2O = CaOH+ + H+		
logk	-12.598000	

delta_h	14.535000	kcal		
#76 CaCO3				
CO3-2 + Ca+2 = CaCO3				
logk	3.153000			
delta_h	4.023000	kcal		
-a_e	-27.393000	0.056170	4114.000000	
#77 CaHCO3+				
CO3-2 + Ca+2 + H+ = CaHCO3+				
logk	11.345000			
delta_h	1.806000	kcal		
-a_e	-9.448000	0.037090	2902.389893	
#78 CaSO4				
SO4-2 + Ca+2 = CaSO4				
logk	2.309000			
delta_h	1.470000	kcal		
#79 CaPO4-				
PO4-3 + Ca+2 = CaPO4-				
logk	6.459000			
delta_h	3.100000	kcal		
#80 CaHPO4				
PO4-3 + Ca+2 + H+ = CaHPO4				
logk	15.085000			
delta_h	-0.230000	kcal		
#81 CaH2PO4+				
PO4-3 + Ca+2 + 2 H+ = CaH2PO4+				
logk	20.961000			
delta_h	-1.120000	kcal		
#82 CaF+				
F- + Ca+2 = CaF+				
logk	0.940000			
delta_h	3.798000	kcal		
#83 UO2H2PO4-2				
U+4 + 2 PO4-3 + 2 H2O = H2O10P2U-2 + 2 H+ + 2 e-				
logk	33.759998			
delta_h	0.000000	kcal		
#84 UO2H2PO4+				
U+4 + PO4-3 + 2 H2O = UO2H2PO4+ + 2 H+ + 2 e-				
logk	13.440000			
delta_h	0.000000	kcal		
#85 MgOH+				
Mg+2 + H2O = MgOH+ + H+				
logk	-11.794000			
delta_h	15.419000	kcal		
#86 MgCO3				
CO3-2 + Mg+2 = MgCO3				
logk	2.980000			
delta_h	2.713000	kcal		
-a_e	0.991000	0.006670		

#87  $\text{MgHCO}_3^+$   
 $\text{CO}_3^{2-} + \text{Mg}^{2+} + \text{H}^+ = \text{MgHCO}_3^+$   
logk 11.396000  
delta\_h -2.527000 kcal  
-a\_e -4.179000 0.012730 2902.389893 0.000023

#88  $\text{MgSO}_4$   
 $\text{SO}_4^{2-} + \text{Mg}^{2+} = \text{MgSO}_4$   
logk 2.250000  
delta\_h 1.400000 kcal

#89  $\text{MgPO}_4^-$   
 $\text{PO}_4^{3-} + \text{Mg}^{2+} = \text{MgPO}_4^-$   
logk 6.589000  
delta\_h 3.100000 kcal

#90  $\text{MgHPO}_4$   
 $\text{PO}_4^{3-} + \text{Mg}^{2+} + \text{H}^+ = \text{MgHPO}_4$   
logk 15.216000  
delta\_h -0.230000 kcal

#91  $\text{MgH}_2\text{PO}_4^+$   
 $\text{PO}_4^{3-} + \text{Mg}^{2+} + 2 \text{H}^+ = \text{MgH}_2\text{PO}_4^+$   
logk 21.066000  
delta\_h -1.120000 kcal

#92  $\text{MgF}^+$   
 $\text{F}^- + \text{Mg}^{2+} = \text{MgF}^+$   
logk 1.820000  
delta\_h 4.674000 kcal

#93  $\text{UO}_2\text{CO}_3$   
 $\text{U}^{4+} + \text{CO}_3^{2-} + 2 \text{H}_2\text{O} = \text{UO}_2\text{CO}_3 + 4 \text{H}^+ + 2 \text{e}^-$   
logk 1.000000  
delta\_h -37.240002 kcal

#94  $\text{UO}_2\text{CO}_3^{2-}$   
 $\text{U}^{4+} + 2 \text{CO}_3^{2-} + 2 \text{H}_2\text{O} = \text{UO}_2\text{CO}_3^{2-} + 4 \text{H}^+ + 2 \text{e}^-$   
logk 7.600000  
delta\_h -30.879999 kcal

#95  $\text{NaCO}_3^-$   
 $\text{CO}_3^{2-} + \text{Na}^+ = \text{NaCO}_3^-$   
logk 1.268000  
delta\_h 8.911000 kcal

#96  $\text{NaHCO}_3$   
 $\text{CO}_3^{2-} + \text{Na}^+ + \text{H}^+ = \text{NaHCO}_3$   
logk 10.080000  
delta\_h -3.604000 kcal

#97  $\text{NaSO}_4^-$   
 $\text{SO}_4^{2-} + \text{Na}^+ = \text{NaSO}_4^-$   
logk 0.700000  
delta\_h 1.120000 kcal

#98  $\text{NaHPO}_4^-$   
 $\text{PO}_4^{3-} + \text{Na}^+ + \text{H}^+ = \text{NaHPO}_4^-$   
logk 12.636000  
delta\_h -3.530000 kcal

#99 UO<sub>2</sub>CO<sub>3</sub>-4  
 $\text{U}^{+4} + 3 \text{CO}_3^{2-} + 2 \text{H}_2\text{O} = \text{O}_{11}\text{C}_3\text{U}^{-4} + 4 \text{H}^+ + 2 \text{e}^-$   
logk 14.700000  
delta\_h -44.180000 kcal

#100 KSO<sub>4</sub>-  
 $\text{SO}_4^{2-} + \text{K}^+ = \text{KSO}_4^-$   
logk 0.850000  
delta\_h 2.250000 kcal

#101 KHPO<sub>4</sub>-  
 $\text{PO}_4^{3-} + \text{K}^+ + \text{H}^+ = \text{KHPO}_4^-$   
logk 12.636000  
delta\_h -3.530000 kcal

#102 UO<sub>2</sub>3C<sub>6</sub>-6  
 $3 \text{U}^{+4} + 6 \text{CO}_3^{2-} + 6 \text{H}_2\text{O} = \text{O}_{24}\text{C}_6\text{U}_3^{-6} + 12 \text{H}^+ + 6 \text{e}^-$   
logk 32.799999  
delta\_h -103.440002 kcal

#103 UO<sub>2</sub>2OH<sub>3</sub>C-  
 $2 \text{U}^{+4} + \text{CO}_3^{2-} + 7 \text{H}_2\text{O} = \text{H}_3\text{O}_{10}\text{CU}_2^{-1} + 11 \text{H}^+ + 4 \text{e}^-$   
logk -19.200001  
delta\_h -68.959999 kcal

#104 UO<sub>2</sub>3OH<sub>3</sub>C+  
 $3 \text{U}^{+4} + \text{CO}_3^{2-} + 9 \text{H}_2\text{O} = \text{H}_3\text{O}_{12}\text{CU}_3^{+1} + 15 \text{H}^+ + 6 \text{e}^-$   
logk -26.299999  
delta\_h -103.440002 kcal

#105 FeOH+  
 $\text{Fe}^{+2} + \text{H}_2\text{O} = \text{FeOH}^+ + \text{H}^+$   
logk -9.500000  
delta\_h 13.200000 kcal

#106 FeOH<sub>2</sub>  
 $\text{Fe}^{+2} + 2 \text{H}_2\text{O} = \text{H}_2\text{O}_2\text{Fe} + 2 \text{H}^+$   
logk -20.570000  
delta\_h 28.565001 kcal

#107 FeOH<sub>3</sub>-  
 $\text{Fe}^{+2} + 3 \text{H}_2\text{O} = \text{H}_3\text{O}_3\text{Fe}^{-1} + 3 \text{H}^+$   
logk -31.000000  
delta\_h 30.299999 kcal

#108 FeSO<sub>4</sub>  
 $\text{SO}_4^{2-} + \text{Fe}^{+2} = \text{FeSO}_4$   
logk 2.250000  
delta\_h 3.230000 kcal

#109 Fe(HS)<sub>2</sub>  
 $2 \text{SO}_4^{2-} + \text{Fe}^{+2} + 16 \text{e}^- + 18 \text{H}^+ = \text{Fe}(\text{HS})_2 + 8 \text{H}_2\text{O}$   
logk 76.250000  
delta\_h -120.279999 kcal

#110 Fe(HS)<sub>3</sub>-  
 $3 \text{SO}_4^{2-} + \text{Fe}^{+2} + 24 \text{e}^- + 27 \text{H}^+ = \text{Fe}(\text{HS})_3^{-} + 12 \text{H}_2\text{O}$   
logk 111.936996  
delta\_h -180.419998 kcal

#111 FeHPO4  
 $\text{PO4-3} + \text{Fe+2} + \text{H+} = \text{FeHPO4}$   
logk 15.946000  
delta\_h -3.530000 kcal

#112 FeH2PO4+  
 $\text{PO4-3} + \text{Fe+2} + 2 \text{H+} = \text{FeH2PO4+}$   
logk 22.253000  
delta\_h -4.520000 kcal

#113 UO2H2PO42  
 $\text{U+4} + 2 \text{PO4-3} + 2 \text{H2O} = \text{H4O10P2U} + 2 \text{e-}$   
logk 35.430000  
delta\_h 0.000000 kcal

#114 UO2H2PO43-  
 $\text{U+4} + 3 \text{PO4-3} + 2 \text{H2O} + 2 \text{H+} = \text{H6O14P3U-1} + 2 \text{e-}$   
logk 56.680000  
delta\_h 0.000000 kcal

#115 Fe+3  
 $\text{Fe+2} = \text{Fe+3} + \text{e-}$   
logk -13.032000  
delta\_h 10.000000 kcal

#116 FeOH+2  
 $\text{Fe+2} + \text{H2O} = \text{FeOH+2} + \text{H+} + \text{e-}$   
logk -15.220000  
delta\_h 20.400000 kcal

#117 FeOH2+  
 $\text{Fe+2} + 2 \text{H2O} = \text{H2O2Fe+1} + 2 \text{H+} + \text{e-}$   
logk -18.700001  
delta\_h 10.000000 kcal

#118 FeOH3  
 $\text{Fe+2} + 3 \text{H2O} = \text{H3O3Fe} + 3 \text{H+} + \text{e-}$   
logk -26.629999  
delta\_h 10.000000 kcal

#119 FeOH4-  
 $\text{Fe+2} + 4 \text{H2O} = \text{H4O4Fe-1} + 4 \text{H+} + \text{e-}$   
logk -34.630001  
delta\_h 10.000000 kcal

#120 Fe2OH2+4  
 $2 \text{Fe+2} + 2 \text{H2O} = \text{H2O2Fe2+4} + 2 \text{H+} + 2 \text{e-}$   
logk -29.010000  
delta\_h 33.500000 kcal

#121 Fe3OH4+5  
 $3 \text{Fe+2} + 4 \text{H2O} = \text{H4O4Fe3+5} + 4 \text{H+} + 3 \text{e-}$   
logk -45.400002  
delta\_h 44.299999 kcal

#122 FeCl+2  
 $\text{Cl-} + \text{Fe+2} = \text{FeCl+2} + \text{e-}$   
logk -11.550000  
delta\_h 15.600000 kcal

#123 FeCl2+  
 $2 \text{ Cl}^- + \text{Fe}^{+2} = \text{FeCl}_2 + e^-$   
logk -10.900000  
delta\_h 10.000000 kcal

#124 FeCl3  
 $3 \text{ Cl}^- + \text{Fe}^{+2} = \text{FeCl}_3 + e^-$   
logk -11.900000  
delta\_h 10.000000 kcal

#125 FeSO4+  
 $\text{SO}_4^{-2} + \text{Fe}^{+2} = \text{FeSO}_4 + e^-$   
logk -9.110000  
delta\_h 13.910000 kcal

#126 FeSO42-  
 $2 \text{ SO}_4^{-2} + \text{Fe}^{+2} = \text{O}_8\text{FeS}_2^{-1} + e^-$   
logk -7.610000  
delta\_h 14.600000 kcal

#127 FeHPO4+  
 $\text{PO}_4^{-3} + \text{Fe}^{+2} + \text{H}^+ = \text{FeHPO}_4 + e^-$   
logk 4.740000  
delta\_h 12.230000 kcal

#128 FeH2P+2  
 $\text{PO}_4^{-3} + \text{Fe}^{+2} + 2 \text{ H}^+ = \text{H}_2\text{O}_4\text{FeP}^{+2} + e^-$   
logk 11.950000  
delta\_h 5.480000 kcal

#129 FeF+2  
 $\text{F}^- + \text{Fe}^{+2} = \text{FeF}^{+2} + e^-$   
logk -6.800000  
delta\_h 12.700000 kcal

#130 FeF2+  
 $2 \text{ F}^- + \text{Fe}^{+2} = \text{FeF}_2 + e^-$   
logk -2.200000  
delta\_h 14.700000 kcal

#131 FeF3  
 $3 \text{ F}^- + \text{Fe}^{+2} = \text{FeF}_3 + e^-$   
logk 0.970000  
delta\_h 15.400000 kcal

#132 UHPO4+2  
 $\text{U}^{+4} + \text{PO}_4^{-3} + \text{H}^+ = \text{UHPO}_4^{+2}$   
logk 24.400000  
delta\_h 0.000000 kcal

#133 UHPO42  
 $\text{U}^{+4} + 2 \text{ PO}_4^{-3} + 2 \text{ H}^+ = \text{H}_2\text{O}_8\text{P}_2\text{U}$   
logk 46.689999  
delta\_h 0.000000 kcal

#134 UHPO43-2  
 $\text{U}^{+4} + 3 \text{ PO}_4^{-3} + 3 \text{ H}^+ = \text{H}_3\text{O}_{12}\text{P}_3\text{U}^{-2}$   
logk 67.739998  
delta\_h 0.000000 kcal

#135 MnOH+  
 $\text{Mn}^{+2} + \text{H}_2\text{O} = \text{MnOH}^+ + \text{H}^+$   
logk -10.590000  
delta\_h 14.400000 kcal

#136 MnOH3-  
 $\text{Mn}^{+2} + 3 \text{H}_2\text{O} = \text{H}_3\text{O}_3\text{Mn}^{-1} + 3 \text{H}^+$   
logk -34.799999  
delta\_h 0.000000 kcal

#137 MnCl+  
 $\text{Cl}^- + \text{Mn}^{+2} = \text{MnCl}^+$   
logk 0.607000  
delta\_h 0.000000 kcal

#138 MnCl2  
 $2 \text{Cl}^- + \text{Mn}^{+2} = \text{MnCl}_2$   
logk 0.041000  
delta\_h 0.000000 kcal

#139 MnCl3-  
 $3 \text{Cl}^- + \text{Mn}^{+2} = \text{MnCl}_3^-$   
logk -0.305000  
delta\_h 0.000000 kcal

#140 MnHCO3+  
 $\text{CO}_3^{-2} + \text{Mn}^{+2} + \text{H}^+ = \text{MnHCO}_3^+$   
logk 11.600000  
delta\_h -3.604000 kcal

#141 MnSO4  
 $\text{SO}_4^{-2} + \text{Mn}^{+2} = \text{MnSO}_4$   
logk 2.260000  
delta\_h 2.170000 kcal

#142 Mn(NO3)2  
 $2 \text{NO}_3^- + \text{Mn}^{+2} = \text{Mn}(\text{NO}_3)_2$   
logk 0.600000  
delta\_h -0.396000 kcal

#143 MnF+  
 $\text{F}^- + \text{Mn}^{+2} = \text{MnF}^+$   
logk 0.850000  
delta\_h 0.000000 kcal

#144 Mn+3  
 $\text{Mn}^{+2} = \text{Mn}^{+3} + \text{e}^-$   
logk -25.507000  
delta\_h 25.760000 kcal

#145 MnO4-2  
 $\text{Mn}^{+2} + 4 \text{H}_2\text{O} = \text{MnO}_4^{-2} + 8 \text{H}^+ + 4 \text{e}^-$   
logk -118.440002  
delta\_h 150.020004 kcal

#146 MnO4-  
 $\text{Mn}^{+2} + 4 \text{H}_2\text{O} = \text{MnO}_4^- + 8 \text{H}^+ + 5 \text{e}^-$   
logk -127.823997  
delta\_h 176.619995 kcal

#147 Pu(CO<sub>3</sub>)<sub>5</sub>  
 Pu<sup>+4</sup> + 5 CO<sub>3</sub><sup>-2</sup> = Pu(CO<sub>3</sub>)<sub>5-6</sub>  
     logk    44.500000  
     delta\_h  0.000000    kcal

#148 PuO<sub>2</sub>CO<sub>3</sub><sup>-</sup>  
 Pu<sup>+4</sup> + CO<sub>3</sub><sup>-2</sup> + 2 H<sub>2</sub>O = PuO<sub>2</sub>CO<sub>3</sub><sup>-</sup> + 4 H<sup>+</sup> + e<sup>-</sup>  
     logk    -9.000000  
     delta\_h  0.000000    kcal

#149 UH<sub>2</sub>PO<sub>4</sub><sup>2+</sup>  
 U<sup>+4</sup> + 2 PO<sub>4</sub><sup>-3</sup> + 4 H<sup>+</sup> = UH<sub>2</sub>(PO<sub>4</sub>)<sub>2+2</sub> + H<sub>2</sub>  
     logk    47.105999  
     delta\_h  0.000000    kcal

#150 AlOH<sup>+</sup><sub>2</sub>  
 Al<sup>+3</sup> + H<sub>2</sub>O = AlOH<sup>+</sup><sub>2</sub> + H<sup>+</sup>  
     logk    -4.990000  
     delta\_h  11.900000    kcal

#151 Al(OH)<sub>2</sub><sup>+</sup>  
 Al<sup>+3</sup> + 2 H<sub>2</sub>O = Al(OH)<sub>2</sub><sup>+</sup> + 2 H<sup>+</sup>  
     logk    -10.100000  
     delta\_h  0.000000    kcal

#152 Al(OH)<sub>3</sub>  
 Al<sup>+3</sup> + 3 H<sub>2</sub>O = Al(OH)<sub>3</sub> + 3 H<sup>+</sup>  
     logk    -16.000000  
     delta\_h  0.000000    kcal

#153 Al(OH)<sub>4</sub><sup>-</sup>  
 Al<sup>+3</sup> + 4 H<sub>2</sub>O = Al(OH)<sub>4</sub><sup>-</sup> + 4 H<sup>+</sup>  
     logk    -23.000000  
     delta\_h  44.060001    kcal

#154 AlSO<sub>4</sub><sup>+</sup>  
 SO<sub>4</sub><sup>-2</sup> + Al<sup>+3</sup> = AlSO<sub>4</sub><sup>+</sup>  
     logk    3.020000  
     delta\_h  2.150000    kcal

#155 Al(SO<sub>4</sub>)<sub>2</sub><sup>-</sup>  
 2 SO<sub>4</sub><sup>-2</sup> + Al<sup>+3</sup> = Al(SO<sub>4</sub>)<sub>2</sub><sup>-</sup>  
     logk    4.920000  
     delta\_h  2.840000    kcal

#156 AlF<sub>2</sub><sup>+</sup>  
 F<sup>-</sup> + Al<sup>+3</sup> = AlF<sub>2</sub><sup>+</sup>  
     logk    7.010000  
     delta\_h  0.000000    kcal

#157 AlF<sub>2</sub><sup>+</sup>  
 2 F<sup>-</sup> + Al<sup>+3</sup> = AlF<sub>2</sub><sup>+</sup>  
     logk    12.750000  
     delta\_h  20.000000    kcal

#158 AlF<sub>3</sub>  
 3 F<sup>-</sup> + Al<sup>+3</sup> = AlF<sub>3</sub>  
     logk    17.020000  
     delta\_h  2.500000    kcal

#159  $\text{AlF}_4^-$   
 $4 \text{ F}^- + \text{Al}^{+3} = \text{AlF}_4^-$   
logk 19.719999  
delta\_h 0.000000 kcal

#163  $\text{BaOH}^+$   
 $\text{Ba}^{+2} + \text{H}_2\text{O} = \text{BaOH}^+ + \text{H}^+$   
logk -13.358000  
delta\_h 15.095000 kcal

#165  $\text{SrOH}^+$   
 $\text{Sr}^{+2} + \text{H}_2\text{O} = \text{SrOH}^+ + \text{H}^+$   
logk -13.178000  
delta\_h 14.495000 kcal

#170  $\text{H}_3\text{SiO}_4^-$   
 $\text{H}_4\text{SiO}_4 = \text{H}_3\text{SiO}_4^- + \text{H}^+$   
logk -9.929000  
delta\_h 8.936000 kcal  
-a\_e 6.368000 -0.016346 -3405.899902

#171  $\text{H}_2\text{SiO}_4^{2-}$   
 $\text{H}_4\text{SiO}_4 = \text{H}_2\text{SiO}_4^{2-} + 2 \text{ H}^+$   
logk -21.617001  
delta\_h 29.716999 kcal  
-a\_e 39.478001 -0.065927 -12355.099609

#172  $\text{SiF}_6^{2-}$   
 $6 \text{ F}^- + \text{H}_4\text{SiO}_4 + 4 \text{ H}^+ = \text{SiF}_6^{2-} + 4 \text{ H}_2\text{O}$   
logk 30.180000  
delta\_h -16.260000 kcal

#181  $\text{LiSO}_4^-$   
 $\text{Li}^+ + \text{SO}_4^{2-} = \text{LiSO}_4^-$   
logk 0.640000  
delta\_h 0.000000 kcal

#182  $\text{CsOH}$   
 $\text{Cs}^+ + \text{H}_2\text{O} = \text{CsOH} + \text{H}^+$   
logk -14.000000  
delta\_h 0.000000 kcal

#183  $\text{CsCO}_3$   
 $\text{Cs}^+ + \text{CO}_3^{2-} = \text{CsCO}_3$   
logk 0.000000  
delta\_h 0.000000 kcal

#184  $\text{CsSO}_4^-$   
 $\text{Cs}^+ + \text{SO}_4^{2-} = \text{CsSO}_4^-$   
logk 0.300000  
delta\_h 0.000000 kcal

#185  $\text{CsCl}$   
 $\text{Cs}^+ + \text{Cl}^- = \text{CsCl}$   
logk 0.500000  
delta\_h 0.000000 kcal

#186  $\text{PuCO}_3$   
 $\text{Pu}^{+4} + 3 \text{ CO}_3^{2-} + \text{e}^- = \text{O}_9\text{C}_3\text{Pu}^{3-}$

logk	31.500000	
delta_h	0.000000	kcal
#187 PuSO4+		
Pu+4 + SO4-2 + e- = PuSO4+		
logk	19.900000	
delta_h	-9.850000	kcal
#188 Pu(HSO4)		
Pu+4 + 2 SO4-2 + e- + 2 H+ = H2O8S2Pu+1		
logk	25.700001	
delta_h	0.000000	kcal
#189 Pu(SO4)2		
Pu+4 + 2 SO4-2 + e- = Pu(SO4)2-		
logk	22.000000	
delta_h	0.000000	kcal
#190 PuCl+2		
Pu+4 + Cl- + e- = PuCl+2		
logk	18.000000	
delta_h	0.000000	kcal
#191 PuCl2+		
Pu+4 + 2 Cl- + e- = PuCl2+		
logk	12.000000	
delta_h	0.000000	kcal
#192 PuCO3+2		
Pu+4 + CO3-2 = PuCO3+2		
logk	19.100000	
delta_h	0.000000	kcal
#193 Pu(CO3)2		
Pu+4 + 2 CO3-2 = Pu(CO3)2		
logk	33.099998	
delta_h	0.000000	kcal
#194 Pu(CO3)3		
Pu+4 + 3 CO3-2 = Pu(CO3)3-2		
logk	42.299999	
delta_h	0.000000	kcal
#195 Pu(CO3)4		
Pu+4 + 4 CO3-2 = Pu(CO3)4-4		
logk	45.000000	
delta_h	0.000000	kcal
#196 BaSO4		
SO4-2 + Ba+2 = BaSO4		
logk	10.920000	
delta_h	0.000000	kcal
#197 PuO2+2		
Pu+4 + 2 H2O = PuO2+2 + 4 H+ + 2 e-		
logk	-34.900002	
delta_h	68.339996	kcal
#198 PuO2+		
Pu+4 + 2 H2O = PuO2+ + 4 H+ + e-		

logk	-18.600000	
delta_h	46.240002	kcal
#199 Pu+3		
Pu+4 + e- = Pu+3		
logk	17.000000	
delta_h	-13.300000	kcal
#200 PuO2OH+		
Pu+4 + 3 H2O = PuO2OH+ + 5 H+ + 2 e-		
logk	-40.200001	
delta_h	65.800003	kcal
#201 PuO2OH2		
Pu+4 + 4 H2O = H2O4Pu + 6 H+ + 2 e-		
logk	-47.400002	
delta_h	0.000000	kcal
#202 PuO2OH3-		
Pu+4 + 5 H2O = H3O5Pu-1 + 7 H+ + 2 e-		
logk	-59.400002	
delta_h	0.000000	kcal
#203 PuO22OH2		
2 Pu+4 + 6 H2O = H2O6Pu2+2 + 10 H+ + 4 e-		
logk	-75.199997	
delta_h	123.870003	kcal
#204 PuO23OH5		
3 Pu+4 + 11 H2O = H5O11Pu3+1 + 17 H+ + 6 e-		
logk	-116.699997	
delta_h	171.600006	kcal
#205 PuO2CO3		
Pu+4 + CO3-2 + 2 H2O = PuO2CO3 + 4 H+ + 2 e-		
logk	-25.700001	
delta_h	0.000000	kcal
#206 PuO2CO32		
Pu+4 + 2 CO3-2 + 2 H2O = O8C2Pu-2 + 4 H+ + 2 e-		
logk	-20.100000	
delta_h	73.800003	kcal
#207 PuO2CO33		
Pu+4 + 3 CO3-2 + 2 H2O = O11C3Pu-4 + 4 H+ + 2 e-		
logk	-17.500000	
delta_h	0.000000	kcal
#208 PuO2Cl+		
Pu+4 + Cl- + 2 H2O = PuO2Cl+ + 4 H+ + 2 e-		
logk	-34.799999	
delta_h	0.000000	kcal
#209 PuO2Cl2		
Pu+4 + 2 Cl- + 2 H2O = PuO2Cl2 + 4 H+ + 2 e-		
logk	-35.400002	
delta_h	0.000000	kcal
#210 PuO2SO4		
Pu+4 + SO4-2 + 2 H2O = PuO2SO4 + 4 H+ + 2 e-		

logk	-31.700001	
delta_h	72.199997	kcal
#211 PuO2OH		
Pu+4 + 3 H2O = PuO2OH + 5 H+ + e-		
logk	-28.299999	
delta_h	49.400002	kcal
#212 PuO2(OH)		
Pu+4 + 4 H2O = H2O4Pu-1 + 6 H+ + e-		
logk	-37.599998	
delta_h	0.000000	kcal
#213 PuO2Cl		
Pu+4 + Cl- + 2 H2O = PuO2Cl + 4 H+ + e-		
logk	-99.000000	
delta_h	0.000000	kcal
#214 Pu(OH)+3		
Pu+4 + H2O = Pu(OH)+3 + H+		
logk	-0.900000	
delta_h	11.500000	kcal
#215 Pu(OH)2+		
Pu+4 + 2 H2O = Pu(OH)2+2 + 2 H+		
logk	-2.200000	
delta_h	17.799999	kcal
#216 Pu(OH)3+		
Pu+4 + 3 H2O = Pu(OH)3+ + 3 H+		
logk	-5.100000	
delta_h	23.100000	kcal
#217 Pu(OH)4		
Pu+4 + 4 H2O = Pu(OH)4 + 4 H+		
logk	-10.540000	
delta_h	26.100000	kcal
#218 Pu(OH)5-		
Pu+4 + 5 H2O = Pu(OH)5- + 5 H+		
logk	-99.000000	
delta_h	0.000000	kcal
#219 Pu2(OH)2		
2 Pu+4 + 2 H2O = Pu2(OH)2+6 + 2 H+		
logk	-1.000000	
delta_h	0.000000	kcal
#220 Pu2(OH)3		
2 Pu+4 + 3 H2O = Pu2(OH)3+5 + 3 H+		
logk	-2.000000	
delta_h	0.000000	kcal
#221 Pu2(OH)4		
2 Pu+4 + 4 H2O = Pu2(OH)4+4 + 4 H+		
logk	-3.000000	
delta_h	0.000000	kcal
#222 Pu2(OH)5		
2 Pu+4 + 5 H2O = Pu2(OH)5+3 + 5 H+		

	logk	-7.000000	
	delta_h	0.000000	kcal
#223 PuSO4+2			
Pu+4 + SO4-2 = PuSO4+2			
	logk	5.720000	
	delta_h	3.000000	kcal
#224 Pu(SO4)2			
Pu+4 + 2 SO4-2 = Pu(SO4)2			
	logk	10.250000	
	delta_h	13.310000	kcal
#225 Pu(SO4)3			
Pu+4 + 3 SO4-2 = Pu(SO4)3-2			
	logk	11.500000	
	delta_h	0.000000	kcal
#226 PuCl+3			
Pu+4 + Cl- = PuCl+3			
	logk	1.670000	
	delta_h	0.000000	kcal
#227 PuCl2+2			
Pu+4 + 2 Cl- = PuCl2+2			
	logk	0.550000	
	delta_h	0.000000	kcal
#228 PuCl3+			
Pu+4 + 3 Cl- = PuCl3+			
	logk	-0.390000	
	delta_h	0.000000	kcal
#229 Pu(OH)+2			
Pu+4 + H2O + e- = Pu(OH)+2 + H+			
	logk	10.000000	
	delta_h	118.900002	kcal
#230 Pu(OH)2+			
Pu+4 + 2 H2O + e- = Pu(OH)2+ + 2 H+			
	logk	0.000000	
	delta_h	0.000000	kcal
#231 Pu(OH)3			
Pu+4 + 3 H2O + e- = Pu(OH)3 + 3 H+			
	logk	-9.500000	
	delta_h	0.000000	kcal
#232 Pu(OH)4-			
Pu+4 + 4 H2O + e- = Pu(OH)4- + 4 H+			
	logk	-20.000000	
	delta_h	0.000000	kcal
#233 Pu3(OH)5			
3 Pu+4 + 5 H2O + 3 e- = Pu3(OH)5+4 + 5 H+			
	logk	18.000000	
	delta_h	0.000000	kcal
#234 Pu2(OH)2			
2 Pu+4 + 2 H2O + 2 e- = Pu2(OH)2+4 + 2 H+			

logk	20.000000	
delta_h	0.000000	kcal
#235 PuCO <sub>3</sub> <sup>+</sup>		
Pu <sup>4+</sup> + CO <sub>3</sub> <sup>2-</sup> + e <sup>-</sup> = PuCO <sub>3</sub> <sup>+</sup>		
logk	23.500000	
delta_h	0.000000	kcal
#236 Pu(CO <sub>3</sub> ) <sub>2</sub>		
Pu <sup>4+</sup> + 2 CO <sub>3</sub> <sup>2-</sup> + e <sup>-</sup> = Pu(CO <sub>3</sub> ) <sub>2</sub> <sup>-</sup>		
logk	28.000000	
delta_h	0.000000	kcal
#237 ThOH <sup>3+</sup>		
Th <sup>4+</sup> + H <sub>2</sub> O = ThOH <sup>3+</sup> + H <sup>+</sup>		
logk	-3.300000	
delta_h	0.000000	kcal
#238 Th(OH) <sub>2</sub> <sup>2+</sup>		
Th <sup>4+</sup> + 2 H <sub>2</sub> O = Th(OH) <sub>2</sub> <sup>2+</sup> + 2 H <sup>+</sup>		
logk	-8.600000	
delta_h	0.000000	kcal
#239 Th(OH) <sub>3</sub> <sup>+</sup>		
Th <sup>4+</sup> + 3 H <sub>2</sub> O = Th(OH) <sub>3</sub> <sup>+</sup> + 3 H <sup>+</sup>		
logk	-14.200000	
delta_h	0.000000	kcal
#240 Th(OH) <sub>4</sub>		
Th <sup>4+</sup> + 4 H <sub>2</sub> O = Th(OH) <sub>4</sub> + 4 H <sup>+</sup>		
logk	-19.400000	
delta_h	0.000000	kcal
#241 ThH <sub>2</sub> PO <sub>4</sub> <sup>3+</sup>		
Th <sup>4+</sup> + H <sub>2</sub> PO <sub>4</sub> <sup>-</sup> = ThH <sub>2</sub> PO <sub>4</sub> <sup>3+</sup>		
logk	8.767925	
delta_h	0.000000	kcal
#242 Th(H <sub>2</sub> PO <sub>4</sub> ) <sub>2</sub> <sup>2+</sup>		
Th <sup>4+</sup> + 2 H <sub>2</sub> PO <sub>4</sub> <sup>-</sup> = Th(H <sub>2</sub> PO <sub>4</sub> ) <sub>2</sub> <sup>2+</sup>		
logk	14.366643	
delta_h	0.000000	kcal
#242 Th(H <sub>2</sub> PO <sub>4</sub> ) <sub>3</sub> <sup>+</sup>		
Th <sup>4+</sup> + 3 H <sub>2</sub> PO <sub>4</sub> <sup>-</sup> = Th(H <sub>2</sub> PO <sub>4</sub> ) <sub>3</sub> <sup>+</sup>		
logk	21.764480	
delta_h	0.000000	kcal
#242 Th(H <sub>2</sub> PO <sub>4</sub> ) <sub>4</sub>		
Th <sup>4+</sup> + 4 H <sub>2</sub> PO <sub>4</sub> <sup>-</sup> = Th(H <sub>2</sub> PO <sub>4</sub> ) <sub>4</sub>		
logk	28.810081	
delta_h	0.000000	kcal
#UCl <sub>3</sub> 586		
U <sup>4+</sup> + Cl <sup>-</sup> = UCl <sub>3</sub>		
log_k	1.72	
delta_h	-4.54	kcal
#USO <sub>4</sub> <sup>2+</sup> 587		
U <sup>4+</sup> + SO <sub>4</sub> <sup>2-</sup> = USO <sub>4</sub> <sup>2+</sup>		

```

log_k      6.58
delta_h    1.9 kcal

#U(SO4)2      588
U+4 + 2SO4-2 = U(SO4)2
log_k      10.5
delta_h    7.8 kcal

#U(CO3)4-4      589
U+4 + 4CO3-2 = U(CO3)4-4
log_k      32.9

#U(CO3)5-6      590
U+4 + 5CO3-2 = U(CO3)5-6
log_k      34.0
delta_h    20.0 kcal

#300 Im-
Im + e- = Im-
logk      20.000000
delta_h    0.000000      kcal

#301 Ip+
Ip = Ip+ + e-
logk      20.000000
delta_h    0.000000      kcal

#CO2 could be used instead of H2CO3
CO3-2 + 2 H+ = CO2 + H2O
log_k      16.681
delta_h    -5.738 kcal
-analytic  464.1965      0.09344813 -26986.16 -165.75951 2248628.9

#238 Rx(-)
Rx + e- = Rx-
logk      5.000000
delta_h    0.000000      kcal

#239 Rx(+)
Rx = Rx+ + e-
logk      -5.000000
delta_h    0.000000      kcal

#
PHASES
#

UO2(am)
UO2 + 2.0 H2O = U+4 + 4.0 OH-
log_k      -54.5

CO2(g)
CO2 = CO2
log_k      -1.468
delta_h    -4.776 kcal
-analytical 108.3865      0.01985076 -6919.53 -40.45154 669365.0

Calcite
O3CaC = 1.00 CO3-2 + 1.00 Ca+2
logk      0.470000

```

delta_h	0.580000	kcal	
-a_e	13.543000	-0.040100	-3000.000000
Dolomite			
O6CaMgC2 = 1.00 Ca+2 + 1.00 Mg+2 + 2.00 CO3-2			
logk	7.020000		
delta_h	0.290000	kcal	
Siderite			
O3FeC = 1.00 Fe+2 + 1.00 CO3-2			
logk	0.550000		
delta_h	0.328000	kcal	
Rhodochr			
O3MnC = 1.00 Mn+2 + 1.00 CO3-2			
logk	0.410000		
delta_h	0.079000	kcal	
Strontit			
O3SrC = 1.00 Sr+2 + 1.00 CO3-2			
logk	0.250000		
delta_h	0.690000	kcal	
Gypsum			
H4O6CaS = 1.00 Ca+2 + 1.00 SO4-2 + 2.00 H2O			
logk	0.602000		
delta_h	0.028000	kcal	
Celestit			
O4SrS = 1.00 Sr+2 + 1.00 SO4-2			
logk	0.465000		
delta_h	0.470000	kcal	
Barite			
O4BaS = 1.00 Ba+2 + 1.00 SO4-2			
logk	0.976000		
delta_h	28.000000	kcal	
Hydroxap			
HO13Ca5P3 + 4.00 H+ = 1.00 H2O + 3.00 HPO4-2 + 5.00 Ca+2			
logk	0.421000		
delta_h	6.155000	kcal	
Fluorite			
CaF2 = 1.00 Ca+2 + 2.00 F-			
logk	0.960000		
delta_h	71.000000	kcal	
Chalcedy			
O2Si + 2.00 H2O = 1.00 H4SiO4			
logk	0.523000		
delta_h	615.000000	kcal	
Quartz			
O2Si + 2.00 H2O = 1.00 H4SiO4			
logk	0.006000		
delta_h	22.000000	kcal	
Gibbsite			
H3O3Al + 3.00 H+ = 1.00 Al+3 + 3.00 H2O			

	logk	77.000000	
	delta_h	2.800000	kcal
#Kaolinit			
#H4O3Al2Si2 + 7.00 H2O = 2.00 H+ + 2.00 H4SiO4 + 2.00 Al(OH)4-			
#	logk	6.921000	
#	delta_h	9.150000	kcal
Sepiolit			
H7O11.50Mg2Si3 + 4.50 H2O = 2.00 Mg+2 + 3.00 H4SiO4 + 4.00 OH-			
	logk	0.079000	
	delta_h	0.532000	kcal
Hematite			
O3Fe2 + 6.00 H+ = 2.00 Fe+3 + 3.00 H2O			
	logk	0.008000	
	delta_h	0.485000	kcal
Goethite			
HO2Fe + 3.00 H+ = 1.00 Fe+3 + 2.00 H2O			
	logk	0.500000	
	delta_h	4.480000	kcal
FeOH3a			
H3O3Fe + 3.00 H+ = 1.00 Fe+3 + 3.00 H2O			
	logk	0.891000	
	delta_h	9.400000	kcal
Pyrite			
FeS2 + 2.00 e- + 2.00 H+ = 1.00 Fe+2 + 2.00 HS-			
	logk	8.480000	
	delta_h	1.300000	kcal
Fes_ppt			
FeS + 1.00 H+ = 1.00 Fe+2 + 1.00 HS-			
	logk	0.915000	
	delta_h	0.000000	kcal
Vivianit			
H16O16Fe3P2 = 3.00 Fe+2 + 2.00 PO4-3 + 8.00 H2O			
	logk	6.000000	
	delta_h	0.000000	kcal
#PCO2			
#O2C + 1.00 H2O = 1.00 O2C			
#	logk	0.466000	
#	delta_h	0.708000	kcal
#			
#O2_gaS			
#O2_aq = 1.00 O2			
#	logk	0.960000	
#	delta_h	0.844000	kcal
#H2_gaS			
#H2_aq = 1.00 H2			
#	logk	0.150000	
#	delta_h	0.759000	kcal
UOH4			
H4O4U + 4.00 H+ = 1.00 U+4 + 4.00 H2O			

logk	0.600000	
delta_h	0.000000	kcal
Pu(OH)4S		
H4O4Pu + 4.00 H+ = 1.00 Pu+4 + 4.00 H2O		
logk	0.400000	
delta_h	-15.400000	kcal
Pu(OH)2C		
H2O5CPu + 2.00 H+ = 1.00 Pu+4 + 2.00 H2O + 1.00 CO3-2		
logk	-25.000000	
delta_h	0.000000	kcal
PuO2S		
O2Pu + 4.00 H+ = 1.00 Pu+4 + 2.00 H2O		
logk	-7.400000	
delta_h	-12.400000	kcal
CaUO4		
O4CaU + 4.00 H+ = 1.00 UO2+2 + 2.00 H2O + 1.00 Ca+2		
logk	15.000000	
delta_h	-31.480000	kcal
MgUO4		
O4MgU + 4.00 H+ = 1.00 UO2+2 + 2.00 H2O + 1.00 Mg+2		
logk	23.400000	
delta_h	-47.990002	kcal
Na2U2O7		
O7Na2U2 + 6.00 H+ = 2.00 UO2+2 + 3.00 H2O + 2.00 Na+		
logk	25.000000	
delta_h	-43.160000	kcal
Na2UO4		
O4Na2U + 4.00 H+ = 1.00 UO2+2 + 2.00 H2O + 2.00 Na+		
logk	31.559999	
delta_h	-43.419998	kcal
UO2CO3		
O5CU = 1.00 UO2+2 + 1.00 CO3-2		
logk	13.800000	
delta_h	-5.570000	kcal
Fechlori		
H24O18Fe5Al2Si3 + 16.00 = 2.00 Al+3 + 5.00 Fe+2 + 3.00 H4SiO4 + 6.00 H2O		
logk	45.549999	
delta_h	-121.209999	kcal
mONtmrl2		
H2.01O12.01Mg0.11Na0.12Al2.33Si3.67 + 2.67 H2O + 7.33 H+ = 0.12 Na+ + 0.11 Mg+2 + 2.33 Al+3 + 3.67 H4SiO4		
logk	5.700000	
delta_h	-96.000000	kcal
Epidote		
HO13Ca2Al3Si3 + 13.00 H+ = 1.00 H2O + 2.00 Ca+2 + 3.00 Al+3 + 3.00 H4SiO4		
logk	0.243000	
delta_h	8.360000	kcal
Chlorite		

```
H8O18Mg5Al2Si3 + 16.00 H+ = 6.00 H2O + 5.00 Mg+2 + 2.00 Al+3 + 3.00 H4SiO4
logk      2.030000
delta_h   55.259998      kcal
```

Coffinit

```
O4SiU + 4.00 H+ = 1.00 U+4 + 1.00 H4SiO4
logk      10.000000
delta_h   -164.699997      kcal
```

END